

# Static Race Detection for Periodic Programs

Deepak D'Souza

Department of Computer Science and Automation  
Indian Institute of Science, Bangalore.

Joint work with Varsha Suresh (IIITB),  
Rekha Pai (IISc/Oxford), Sujit Chakrabarti (IIITB) and  
Meenakshi D'Souza (IIITB)

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# Overview

A way to report data-races in real-time periodic programs, in a **sound** and **precise** manner.

## Contributions

- A way to estimate worst-case response time (WCRT) for programs with non-nested locks
- Disjoint-Block patterns that are useful in eliminating races.



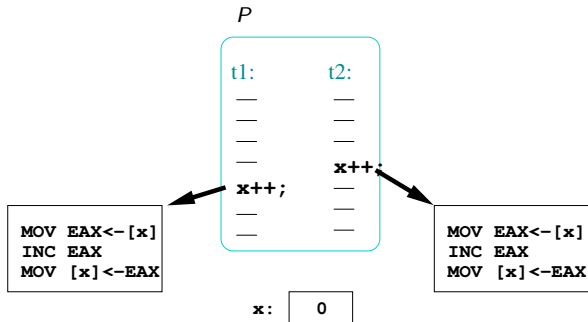
# Outline

- 1 Data Races
- 2 Periodic Programs
- 3 Response Time
- 4 Disjoint-Blocks
- 5 Experimental Evaluation



# Data Races

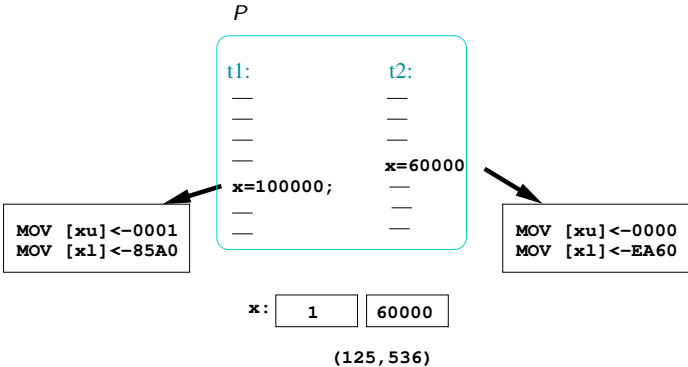
Statements in two different threads that are **conflicting accesses** and can **happen-in-parallel**.



One increment may get **lost**.

# Data Race: Another example

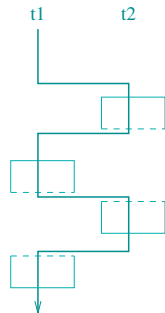
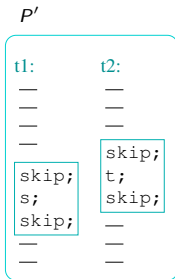
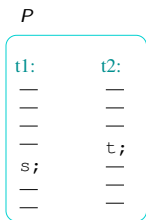
Statements in two different threads that are **conflicting accesses** and can **happen-in-parallel**.



x may get the value **125,536**.

# Data-Race Definition [Chopra, Pai, D. ESOP 2018]

Notion of **may-happen-in-parallel (MHP)**: Statements  $s$  and  $t$  in program  $P$  **MHP** if there is an execution of  $P'$  in which the notional blocks around  $s$  and  $t$  **overlap** in time.



Data-Race = Conflicting Access + MHP



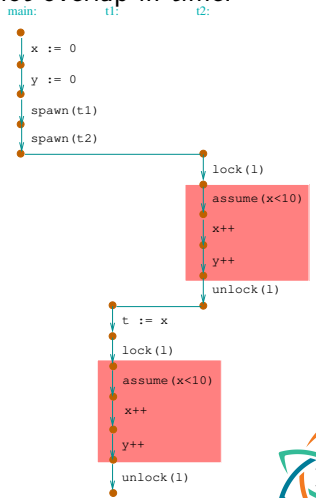
# Disjoint blocks with locks

Disjoint blocks: blocks of code which cannot overlap in time.

```
main:
1. x := y := 0;
2. spawn(t1);
3. spawn(t2);
```

```
t1:
0. t := 0;
1. lock(l);
2. if (x < 10)
3.   x++;
4.   y++;
5. unlock(l);
```

```
t2:
1. lock(l);
2. if (x < 10)
3.   x++;
4.   y++;
5. unlock(l);
```



Technique for static race detection: Eliminate CA pairs if they are covered by pairs of disjoint blocks.



# Periodic Program: Example

init:

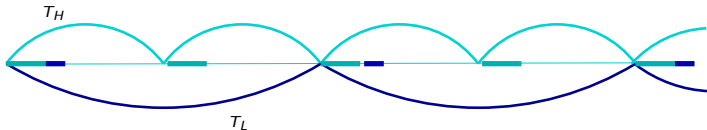
```
1. obstacle := 0;
2. forward := 0;
3. sIn := 0;
4. start;
```

ObsDect: // Period = 100, Prio = 2

```
10. obstacle := 0;
11. if (sIn <= 10) {
12.   obstacle := 1;
13.   forward := -100;
14. }
```

MoveForward: // Period = 200, Prio = 1

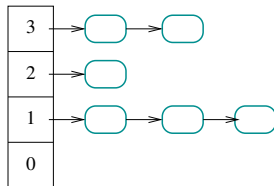
```
20. if (!obstacle)
21.   forward := 100;
```





# Execution Semantics


- Scheduler maintains a priority-wise FIFO **Ready Queue**
- Interrupted tasks are put back at the **head** of the queue.
- Tasks are moved from Delayed Queue to Ready Queue at multiples of their period.
- Program runs on a **single** processor.



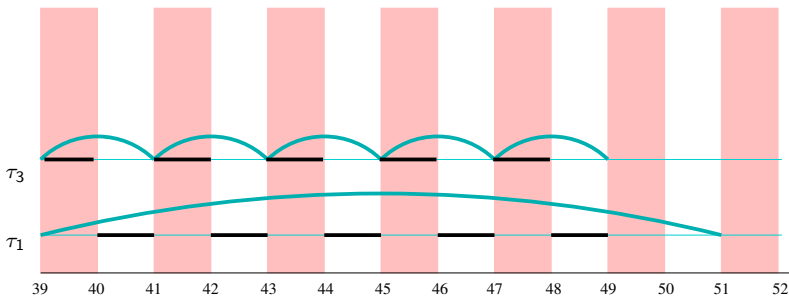
Ready Queue

# Response Time

Time that a task instance takes to complete after being made ready.

$\tau_3$   (Per=2)  
1

$\tau_1$   (Per=12)  
5



Worst Case Response Time (WCRT) is the largest response time over all instances of the task.

# Computing WCRT without locks

$$R_i = C_i + \sum_{j>i} (\lceil R_j / T_j \rceil \cdot C_j). \quad (1)$$

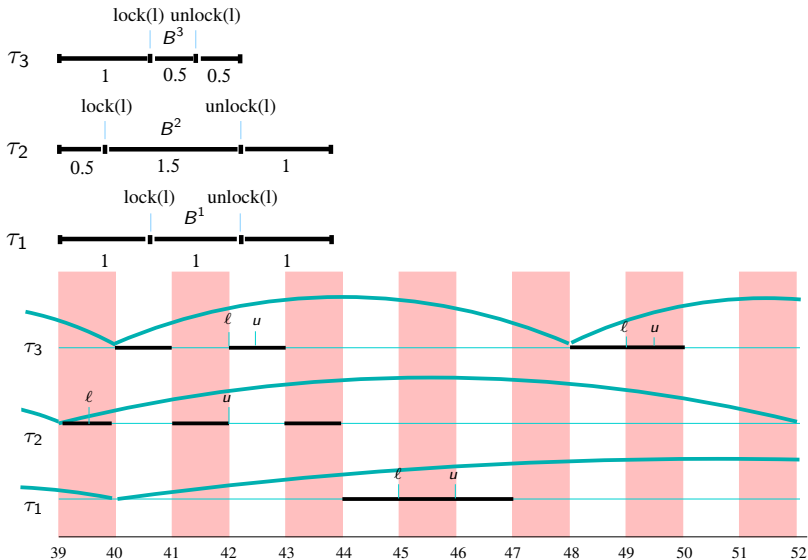
## Theorem (Joseph-Pandya-1982, Liu-Layland-1973)

*The least solution to Eq (1), whenever it exists, is an upper bound on the WCRT of task  $\tau_i$ .*

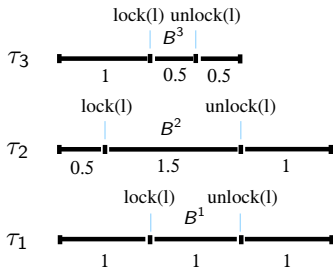
Simple iterative algo to compute WCRT.



# Response Time with Non-Nested Locks



# Computing WCRT with Non-Nested Locks



$$R_3 = C_3 + \max(U_l^2, U_l^1) \quad (2)$$

$$R_2 = C_2 + U_l^1 + \lceil R_2/T_3 \rceil \cdot C_3 \quad (3)$$

$$R_1 = C_1 + \lceil R_1/T_3 \rceil \cdot C_3 + \lceil R_1/T_2 \rceil \cdot C_2 \quad (4)$$

$$U_l^2 = C_l^2 + \lceil U_l^2/T_3 \rceil \cdot C_3 \quad (5)$$

$$U_l^1 = C_l^1 + \lceil U_l^1/T_3 \rceil \cdot C_3 + \lceil U_l^1/T_2 \rceil \cdot C_2 \quad (6)$$



# Computing WCRT with Non-Nested Locks

$$R_i = C_i + \sum_{l \in L} (N_l^i \cdot \max_{j < i} U_{l,k}^j) + \sum_{j > i} (\lceil R_i / T_j \rceil \cdot C_j) \quad (7)$$

$$U_{l,k}^i = C_{l,k}^i + \sum_{j > i} (\lceil U_{l,k}^i / T_j \rceil \cdot C_j) \quad (8)$$

## Theorem

*The least solution to the system of Eqs (7,8), whenever it exists, is an upper bound on the corresponding WCRT of tasks  $\tau_i$  and the blocks  $B_{l,k}^i$ .*

Simple iterative algo to compute WCRT.

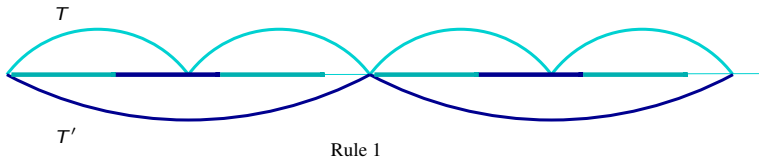


# Disjoint-Block Rules: Rule 1 (Same Priority)

Let  $\tau$  and  $\tau'$  be two distinct tasks in  $\mathcal{T}$  such that:

- $\tau$  and  $\tau'$  have the same priority (i.e.  $p_\tau = p_{\tau'}$ ); and
- Neither  $\tau$  nor  $\tau'$  shares a lock with a lower priority task.

Then  $\tau$  and  $\tau'$  are disjoint.

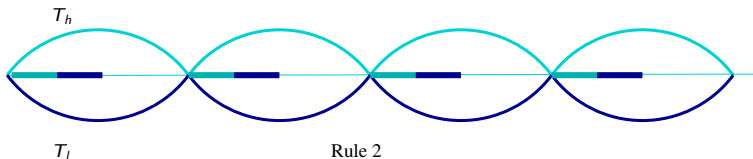


# Disjoint-Block Rules: Rule 2 (Same Period)

Let  $\tau$  and  $\tau'$  be two distinct tasks in  $\mathcal{T}$  such that:

- $\tau$  and  $\tau'$  have the same period (i.e.  $T_\tau = T_{\tau'}$ ); and
- Neither  $\tau$  nor  $\tau'$  shares a lock with a lower priority task.

Then  $\tau$  and  $\tau'$  are disjoint.



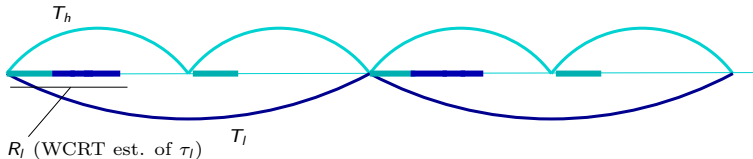


# Disjoint-Block Rules: Rule 3 (Low-Multiple-of-High)

Let  $\tau_l$  and  $\tau_h$  be two tasks in  $\mathcal{T}$  such that:

- $\tau_l$  has a lower priority than  $\tau_h$ ;
- The period of  $\tau_l$  is a multiple of the period of  $\tau_h$ ;
- $\tau_h$  does not share a lock with a task of lower priority than  $\tau_l$ ;  
and
- The WCRT estimate  $R_{\tau_l}$  of  $\tau_l$  is at most the period of  $\tau_h$  (i.e.  $R_{\tau_l} \leq T_{\tau_h}$ ).

Then  $\tau_l$  and  $\tau_h$  are disjoint.

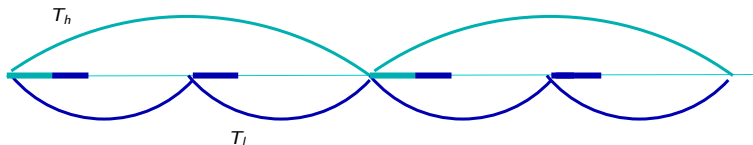


# Disjoint-Block Rules: Rule 4 (High-Multiple-of-Low)

Let  $\tau_l$  and  $\tau_h$  be two tasks in  $\mathcal{T}$  such that:

- $\tau_l$  has a lower priority than  $\tau_h$ ;
- The period of  $\tau_h$  is a multiple of the period of  $\tau_l$ ; and
- $\tau_h$  does not share a lock with a task of lower priority than  $\tau_l$ .

Then  $\tau_l$  and  $\tau_h$  are disjoint.



Rule 4

# Disjoint-Block Rules: Rule 5 (Low-WCRT)

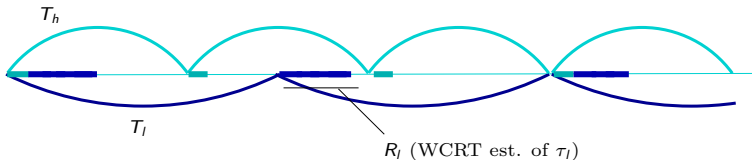
Let  $\tau_l$  and  $\tau_h$  be two tasks in  $\mathcal{T}$  such that:

- $\tau_l$  has a lower priority than  $\tau_h$ ;
- Periods of  $\tau_l$  and  $\tau_h$  are not multiples of the other.
- $\tau_h$  does not share a lock with a task of lower priority than  $\tau_l$ .
- Let  $m$  be the minimum *strictly positive* value in the set

$$\{(k \cdot T_{\tau_h}) \bmod T_{\tau_l} \mid k \in \mathbb{N}\}.$$

The WCRT estimate  $R_{\tau_l}$  of  $\tau_l$  is at most  $m$  (i.e.  $R_{\tau_l} \leq m$ ).

Then  $\tau_l$  and  $\tau_h$  are disjoint.



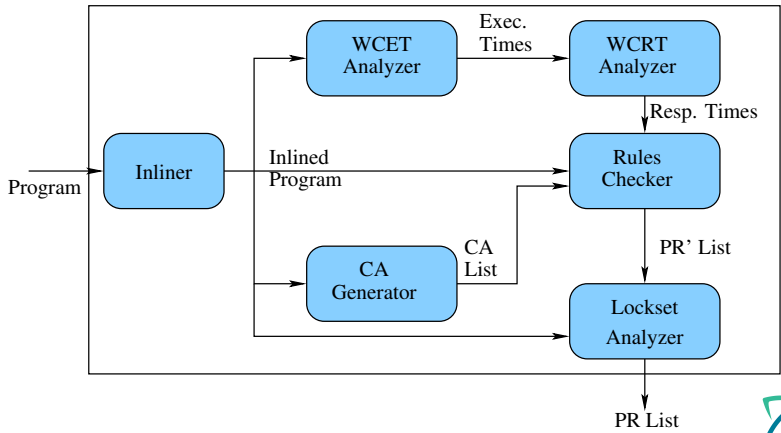
# Race-Detection Algorithm

Given a periodic program  $P$ :

- 1 Compute list of conflicting accesses  $CA$  in  $P$ .
- 2 Set potential races  $PR := CA$ .
- 3 For each  $CA$  pair  $(s_1, s_2)$  in  $PR$ , if  $(s_1, s_2)$  is covered by a pair of disjoint blocks according to Rules 1–5, or the Lock-Rule; Remove  $(s_1, s_2)$  from  $PR$ .
- 4 Report  $PR$  as list of potential races in  $P$ .



# Implementation



# Experiments

Program	LoC	Tasks	Sched.	CA	PR	% Elim.	Time (sec)
fse_obstacle.c	24	2	Y	3	0	100	0.12
avionics.c	588	15	N	51	42	18	0.13
biped_robot.c	340	3	Y	1	0	100	0.22
sumo.c	5287	4	Y	146	0	100	0.32
nxtgt.c	209	4	Y	3	0	100	0.21
lego_osek.c	2036	2	Y	1320	0	100	0.12
objectfollower.c	1878	3	Y	14	0	100	0.31
nxtway_gs.c	2263	3	Y	4	0	100	0.37
car.c	1329	4	Y	670	0	100	0.28
ardupilot.c	1392	4	Y	17	0	100	0.24
follower.c	2769	7	Y	1179	0	100	0.30
sumoR.c	5287	4	Y	146	77	47	0.31
carR.c	1329	4	Y	670	125	81	0.28



# Conclusion

- Given a way to compute WCRT for periodic programs with non-nested locks.
- Disjoint-Block (Not-MHP) patterns for periodic programs.
- Effective race-detection technique for these programs.

Future work:

- Handle **immediate ceiling priority** locks used in OSEK and other RTOSs.
- Data-Flow analysis for periodic programs.



*Thanks for listening!*

